



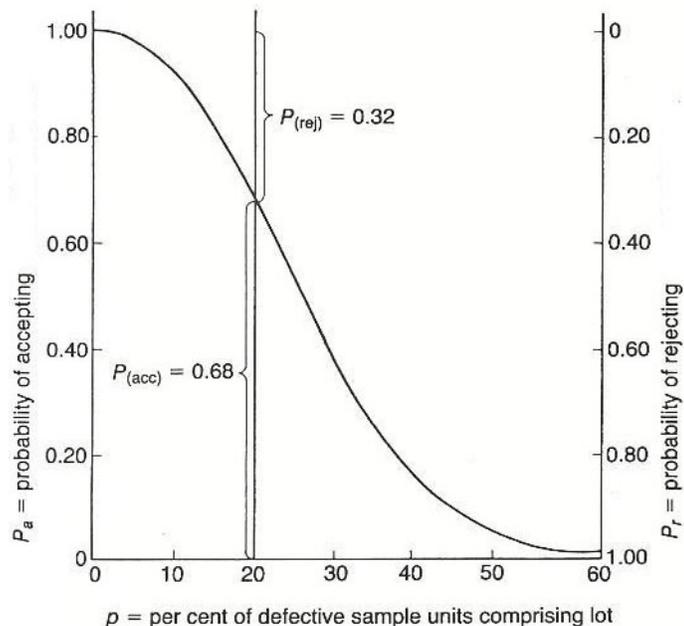
Worthwhile Operational Guidelines & Suggestions

BROILER PROCESSING TIMELY INFORMATION – OCTOBER 2006

THE OPERATING CHARACTERISTIC (OC) CURVE

Frequently, we are asked to sample lots of products and make acceptance/rejection, as it is not practical to analyze the entire lot. Then, how do we decide on a sampling plan or n (the number of randomly taken samples analyzed)? In general, by increasing n , we can reduce the risks of making wrong decisions. However, in practice, we must compromise between large sample units and small risks and *vice versa*. We must know what the probability of accepting a poor lot or rejecting a good lot? The OC curve allows us to weigh the probability (P_a) of acceptance and rejection (P_r) based on a given sampling plan.

The figure shown is an OC curve for a sampling plan of $n=10$ and $c=2$. Let's assume that we want to sample 10 birds in a lot of chickens ($n=10$) and reject if there are 2 salmonella positive birds ($c=2$). The sigmoidal curve clearly illustrates that as the proportion of defective (positive) sample units in a lot increases (horizontal axis), the chances of acceptance decreases (left vertical axis). Since the rejection limit (c) is set at 2 (or 20%), then the $P_a=0.68$. This means that a 20% positive lot would be accepted 68 out of 100 tests (or 68% of the time) and rejected 32 out of 100 tests (or 32%) of the time. The OC curve provides us with probabilities of accepting lots in relation to the proportion of positive sample units comprising the lots. There are OC curves for $n=5, 10, 15,$ and 20 . Of course, as the number of samples (n) tested increases, so does the level of stringency.



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